

Wireless Communication Fundamentals

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Suggested Reading

- Chapter 2 “Wireless Communications” by T. S. Rappaport, 2001 (version 2)
- “Rayleigh Fading Channels in Mobile Digital Communication Systems Part I: Characterization”, IEEE Communications Magazine, 1997

Mobile Devices

Pager

- receive only
- tiny displays
- simple text messages

PDA

- simpler graphical displays
- character recognition
- simplified WWW

Laptop

- fully functional
- standard applications

Sensors,
embedded
controllers



Mobile phones

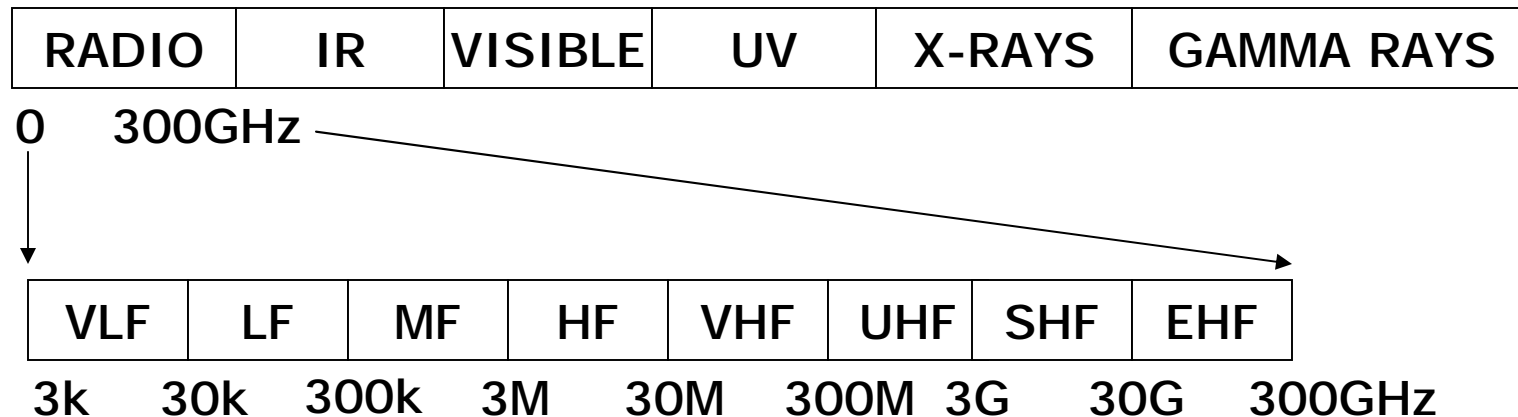
- voice, data
- simple graphical displays

Palmtop

- tiny keyboard
- simple versions of standard applications



Frequencies for Mobile Communication



VLF: Very Low Frequency

MF : Medium Frequency

VHF: Very High Frequency

SHF: Super High Frequency

LF : Low Frequency

HF : High Frequency

UHF: Ultra High Frequency

EHF: Extremely High Frequency

Some US Frequency Allocations

Submarine Communications: 30 kHz

Navigation (Loran C): 100 kHz

AM Radio: 540 – 1,600 kHz (medium wave)

Tactical Comms/Radio Amateur: 3 – 30 MHz (short wave)

Cordless Phones: 46 - 49 MHz (FM) or 902-928 MHz &
2.4 - 2.4835 GHz (Spread Spectrum)

FM Radio: 88 – 108 MHz

TV: 54 – 216 MHz (VHF) & 420 – 890 MHz (UHF) [not contiguous]

Cellular: 824 - 894 MHz (UHF) [not contiguous]

PCS: 1.85- 1.99 GHz (UHF) [not contiguous]

Satellite Comms: SHF

Wireless LAN's: ISM bands

ISM = Industry, Science & Medicine - transmit power of 1 watt or less.

ISM Bands:

902 --- 928 MHz

2.4 --- 2.4835 GHz

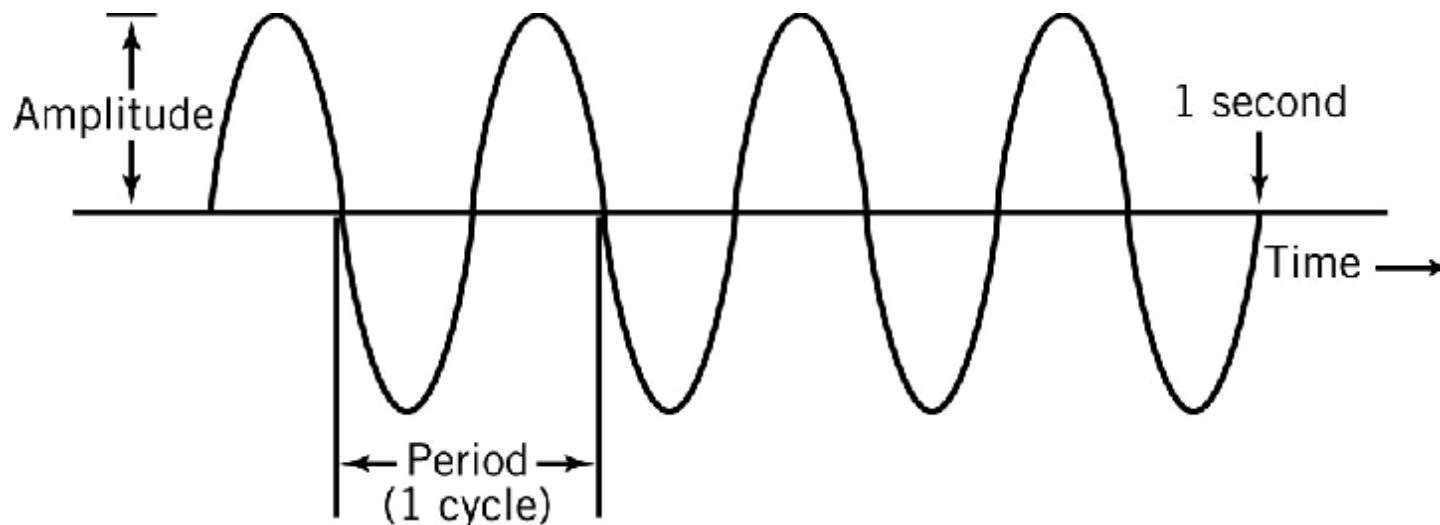
5.725 --- 5.850 GHz

Time-Domain View of Signals

- A generic sine wave $s(t) = A \cdot \sin(2\pi f t + \phi)$
 - Amplitude A: Peak value of a signal at any time.
 - Frequency f: Inverse of the period ($f = 1/T$) represents number of cycles per second (measured in Hertz (Hz)) i.e., this is the rate at which the signal repeats.
 - Phase ϕ : Relative position within a signal period.

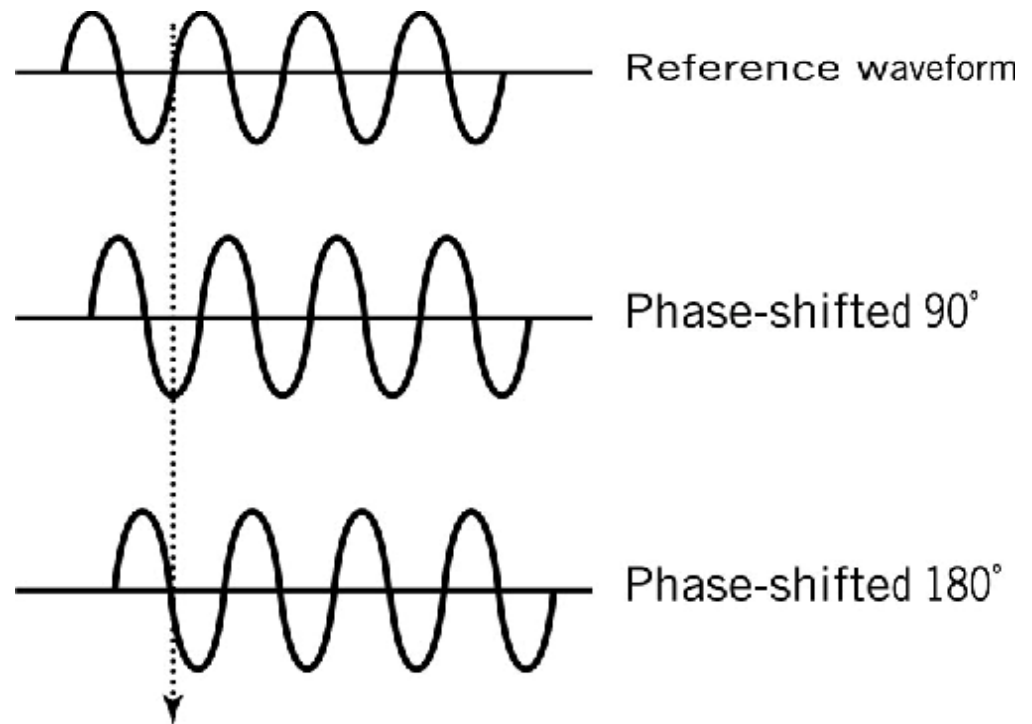
Frequency and Amplitude

- Measure of frequency
- 1 Hertz = 1 cycle/sec
 - Unit of bandwidth for analog device
 - Frequency of sine wave in diagram: 4Hz



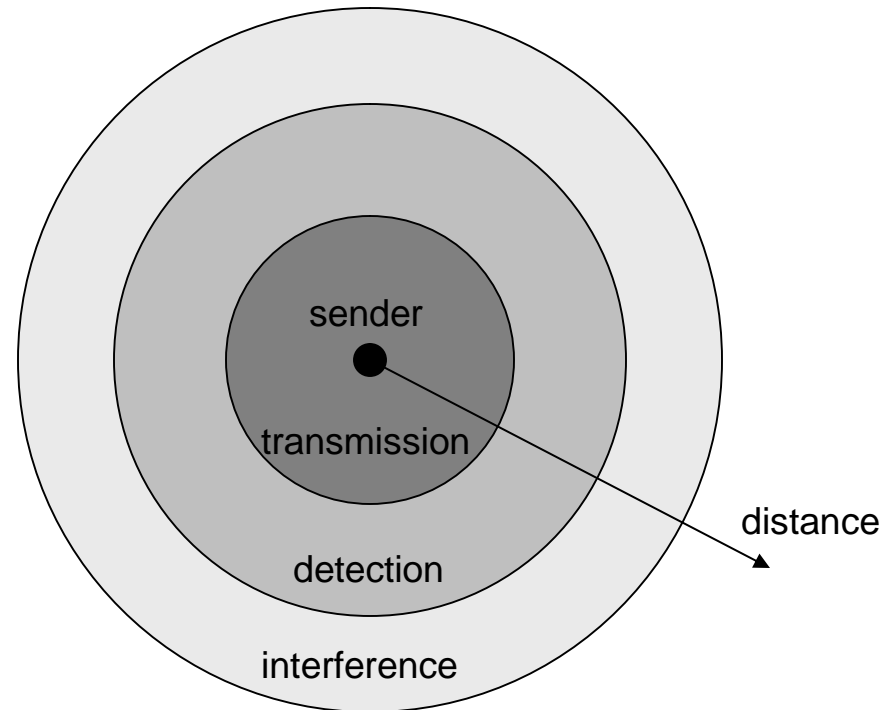
Phase

- Difference, measured in degrees, from a reference sine wave



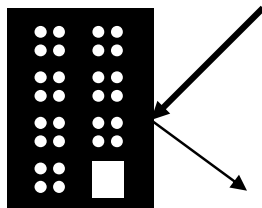
Signal Propagation Ranges

- **Transmission range**
 - communication possible
 - low error rate
- **Detection range**
 - detection of the signal possible
 - no communication possible
- **Interference range**
 - signal may not be detected
 - signal adds to the background noise



Propagation Mechanisms

- **Reflection:** propagation wave reflected by object larger than wavelength
- **Diffraction:** wave obstructed by surface with sharp, irregular edges
- **Scattering:** wave hits loose objects smaller than wavelength; signal scattered in bunch of outgoing weaker signals



reflection



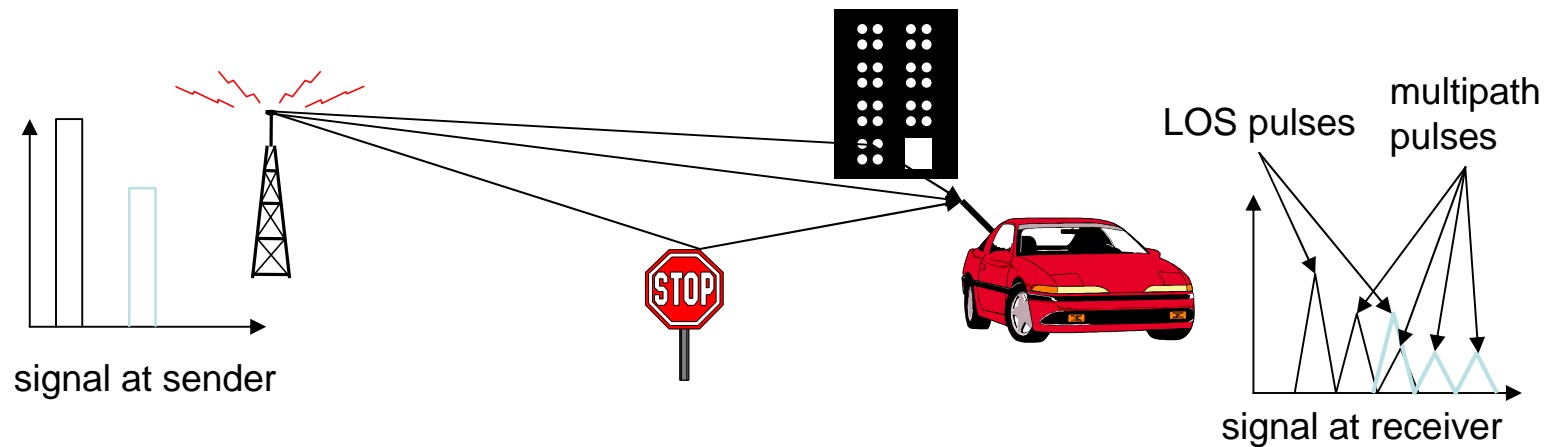
diffraction



scattering

Multipath Propagation

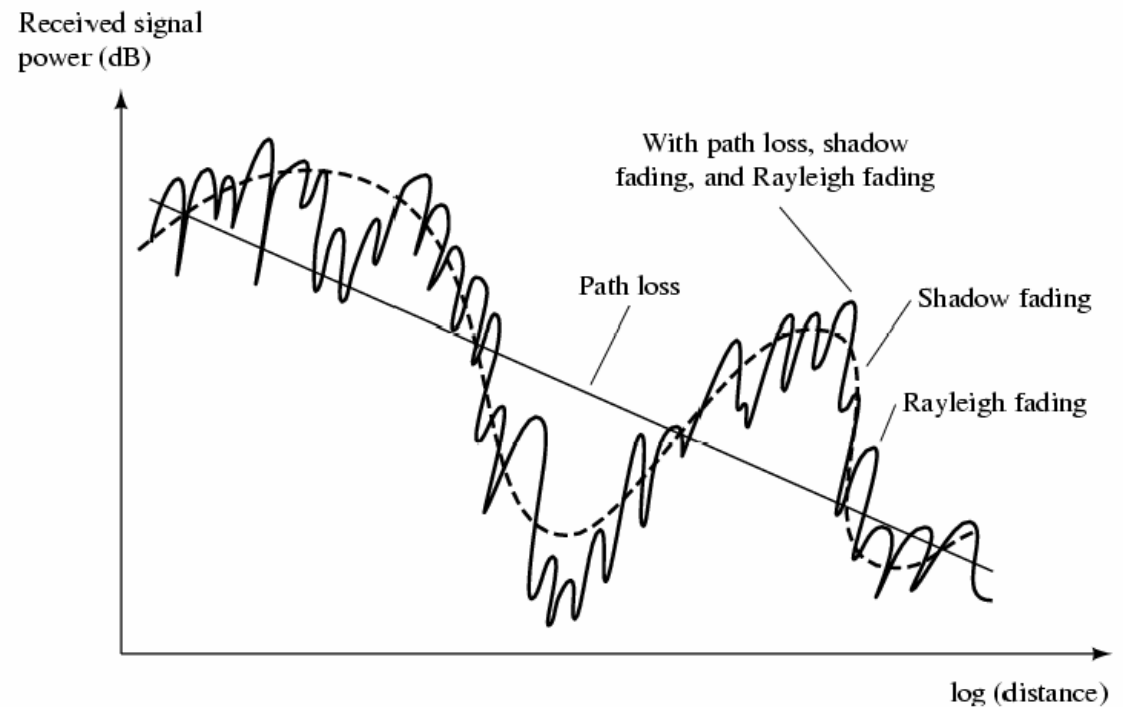
- Signal can take many different paths between sender and receiver due to reflection, scattering, diffraction



- Time dispersion: signal is dispersed over time
 - è interference with “neighbor” symbols, Inter Symbol Interference (ISI)
 - è the transmission rate R is limited by the delay spread

Propagation Models

- Large scale propagation model
 - Predict the mean signal strength over the distance between transmitter and receiver (path loss)
- Small scale propagation model
 - Characterize the fluctuations of signal strength over very short travel distances or very short time period (multipath fading)



Large Scale Propagation Models

- Propagation in free space:

– Friis free space equation:

$$P_r = P_t \left(\frac{1}{4\pi d} \right)^2 g_t g_r$$

P_t = transmit power

g_t, g_r = transmit/receive antenna gains

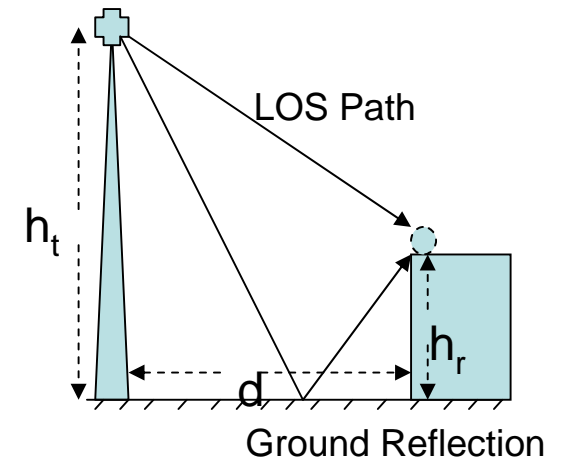
d = distance between the antennas

- Propagation along the earth's surface:

– 2-ray model

$$P_r = P_t \left(\frac{h_t h_r}{d^2} \right)^2 g_t g_r$$

h_t, h_r = transmit/receive antenna height



Path Loss

- Path Loss (**PL**)

- $PL = P_t/P_r$
- $PL_{dB} = 10 \cdot \log(PL) = 10 \cdot \log(P_t/P_r)$

- Path Loss Model

$$\overline{PL}(d) \propto \left(\frac{d}{d_0}\right)^n$$

$$\overline{PL}(d)_{dB} = \overline{PL}(d_0)_{dB} + 10n \log\left(\frac{d}{d_0}\right)$$

- Log-normal Shadowing Model

$$PL(d)_{dB} = \overline{PL}(d_0)_{dB} + 10n \log\left(\frac{d}{d_0}\right) + X_s$$

Path loss exponents	
Free space	2
Urban area	2.7 to 3.5
In building line-of-sight	1.6 to 1.8
Obstructed in building	4 to 6

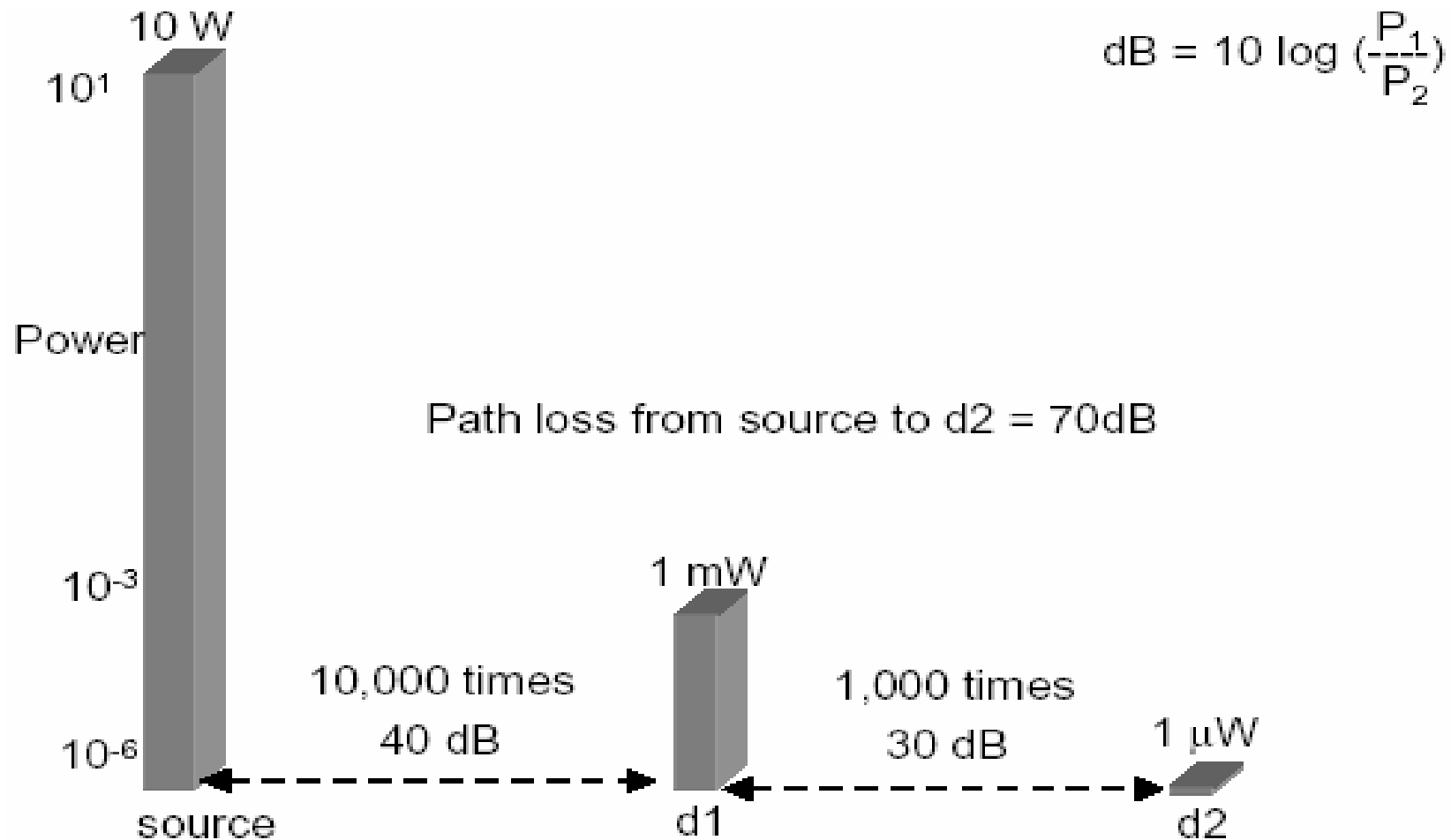
n : path loss exponent

d_0 : close-in reference distance

X_σ : zero mean Gaussian random variable

$$1/(2\pi\sigma)^{0.5} \exp\left\{-x^2/2\sigma^2\right\}$$

Example for Path Loss

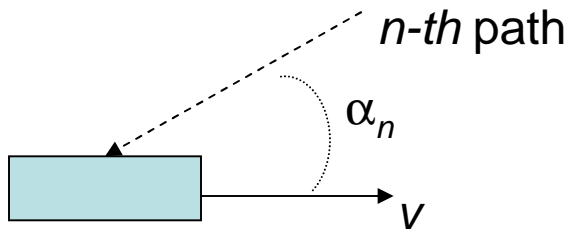


Doppler Effect

- Caused by
 - the speed of mobile
 - speed of surrounding objects
 - If the surrounding objects move at a greater speed than the mobile, this effect dominates, otherwise it can be ignored

- Doppler shift

- Mobile moving towards the transmitter with speed v : a maximum positive Doppler shift
- The n -th path, moving within an angle α_n , has a Doppler shift of



$$f_d^{\max} = \frac{v}{l}$$

$$f_d = \frac{v}{l} \cos(\alpha_n)$$

- If mobile moves away from transmitter, the frequency of received signal will be $f_r = f_c - f_d$
- If mobile moves towards transmitter, the frequency of received signal will be $f_r = f_c + f_d$

Classification of Small Scale Fading

Small Scale Fading (Based on multipath delay spread)

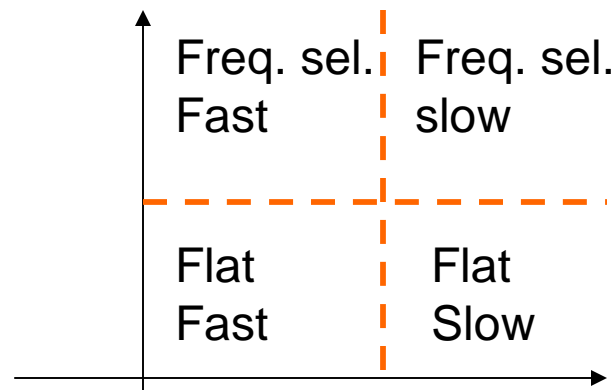
Flat Fading
Delay Spread < Symbol period

Frequency Selective Fading
Delay Spread > Symbol period

Small Scale Fading (Based on Doppler spread)

Fast Fading
1/Doppler Shift < Symbol period

Slow Fading
1/Doppler Shift > Symbol period



Two Commonly Used Small Scale Channel Fading Models

§ **Rayleigh** Fading Model (Multi paths without LOS signal path)

$$p(r) = \begin{cases} \frac{r}{S^2} \exp\left(-\frac{r^2}{2S^2}\right) & \text{for } r \geq 0 \\ 0 & \text{otherwise} \end{cases}$$

r : envelope amplitude of received signal

$2\sigma^2$: $E(r^2)$ mean power of multipath signal

§ **Rician** Fading Model (Multi paths contains one LOS signal path)

$$p(r) = \begin{cases} \frac{r}{S^2} \exp\left(-\frac{r^2 + a^2}{2S^2}\right) I_0\left(\frac{a r}{S^2}\right) & \text{for } r \geq 0 \\ 0 & \text{otherwise} \end{cases}$$

a : peak amplitude of the dominant signal

I_0 : Zero ordered modified Bessel Function

Digital Modulation

- Modern wireless systems use digital modulation
- Three types of digital modulation
 - Amplitude shift keying (ASK)
 - Frequency shift keying (FSK)
 - Phase shift keying (PSK)

Modulation Examples

- **M-ary Phase Shift Keying (MPSK)**

- Phase modulation

$$S_i(t) = A \cos(2\pi ft + q_i), \quad 0 \leq t \leq T, \quad i = 1, 2, \dots, M$$

- $\log_2 M$ bits encoded into one symbol

- Examples

- BPSK: $q_1 = 0, q_2 = p$

- QPSK: $q_1 = 0, q_2 = p/2, q_3 = p, q_4 = 3p/2$

- **M-ary Quadrature Amplitude Modulation (M-QAM)**

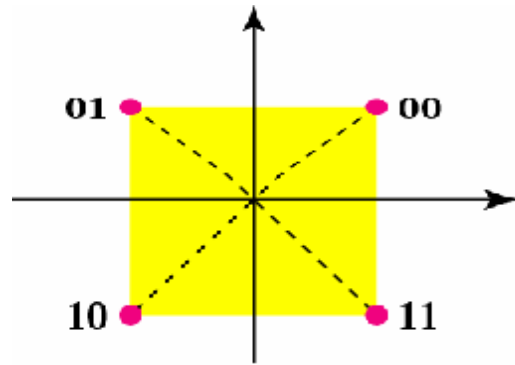
- Combining phase modulation and amplitude modulation

$$S_i(t) = A_i \cos(2\pi ft + q_i), \quad 0 \leq t \leq T, \quad i = 1, 2, \dots, M$$

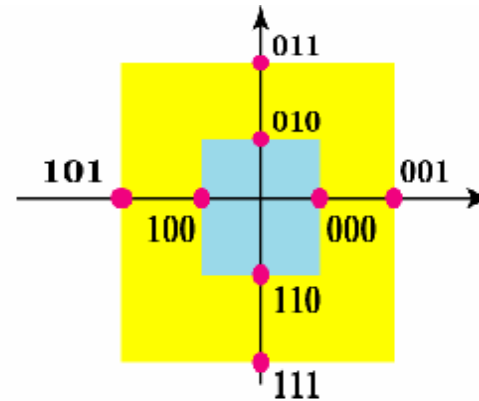
Examples for M-QAM

bases functions

$$\left. \begin{aligned} j_1 &= \sin(2pft) \\ j_2 &= \cos(2pft) \end{aligned} \right\}$$

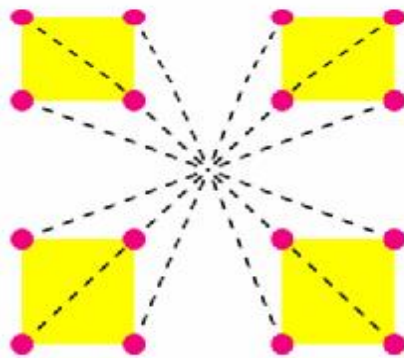


4-QAM
1 amplitude, 4 phases



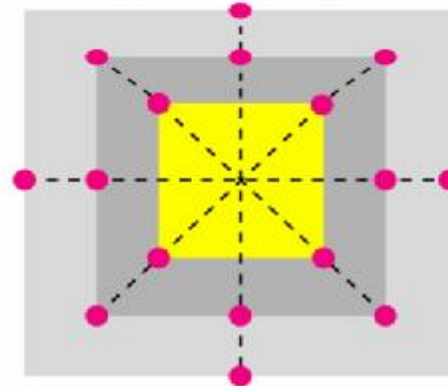
8-QAM
2 amplitudes, 4 phases

3 amplitudes, 12 phases



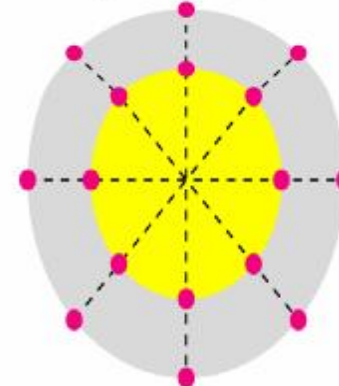
16-QAM

4 amplitudes, 8 phases



16-QAM

2 amplitudes, 8 phases



16-QAM