

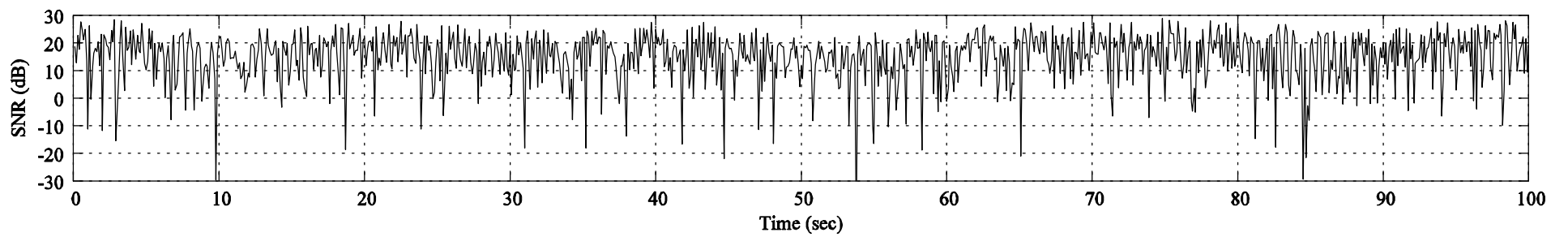
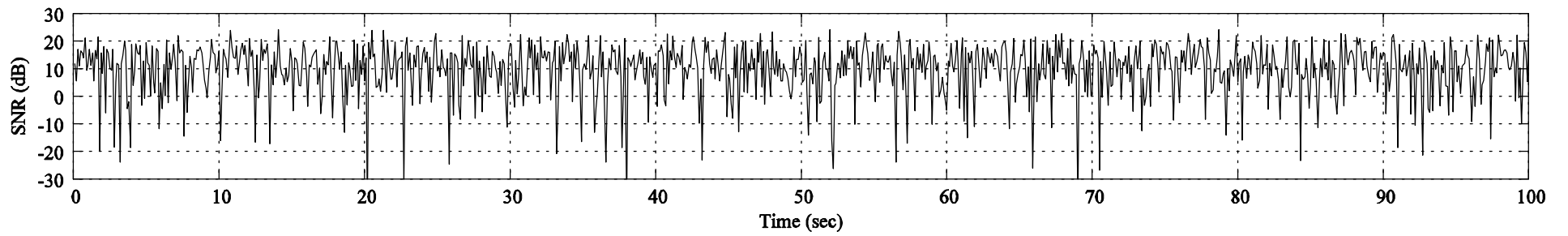
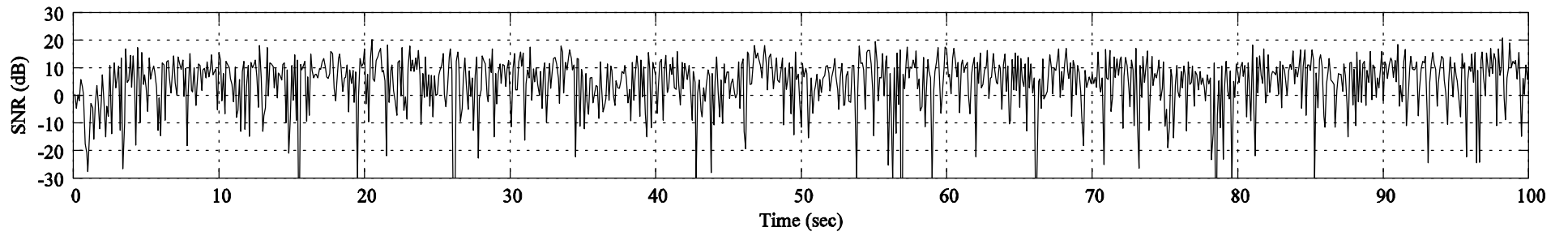
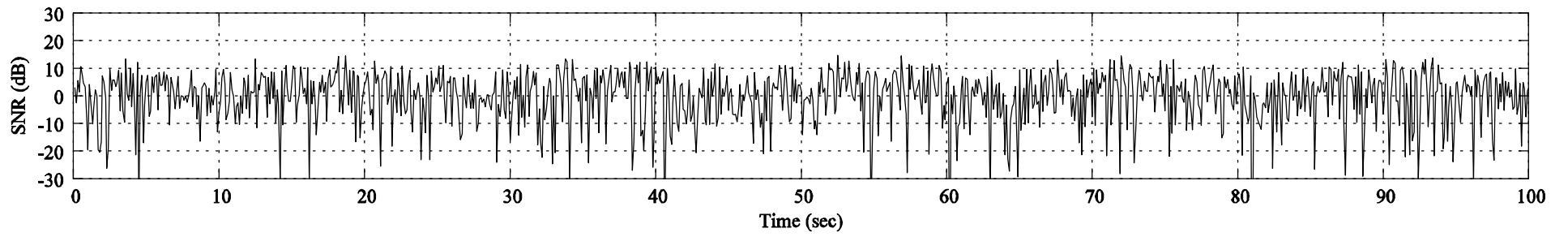
# Homework 3

§ Consider Nakagami-m fading channel with  $m=1$   
Packet error probability after  $N_r^{\max}$  retransmissions :

$$P_{n,ARQ} = q_n^{N_r^{\max} + 1}.$$

§ For the transmission modes defined in Table II and with truncated ARQ (no AMC) with retransmission limit  $N_r^{\max}$ , find the threshold  $\bar{\gamma}_{n,th}$  for  $n = 1, 2, \dots, 6$  such that

- $P_{loss}$  requirement is satisfied  $\bar{\gamma} \geq \bar{\gamma}_{n,th}$ .
- $P_{loss}$  requirement is not satisfied  $\bar{\gamma} < \bar{\gamma}_{n,th}$



# Homework #3 Solution

§ Average PER at the physical layer for Mode n :

$$q_n = \overline{PER}(n) = \int_0^{\infty} PER_n(g) p(g) dg = 1 - e^{-\frac{g_{pn}}{g}} + \frac{a_n}{1 + g_n g} e^{-(g_n + 1/\bar{g})g_{pn}}$$

§ Then

$$q_n^{(N_{\max} + 1)} \leq P_{\text{loss}}$$

$$q_n \leq P_{\text{target}} = (N_{\max} + 1) \sqrt{P_{\text{loss}}}$$

§ Threshold:

$$\text{Threshold} = \min \left\{ g \mid 1 - e^{-\frac{g_{pn}}{g}} + \frac{a_n}{1 + g_n g} e^{-(g_n + 1/\bar{g})g_{pn}} \leq P_{\text{target}} \right\}$$

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A = [274.7229, 90.2514, 67.6181, 50.1222, 53.3987, 35.3508];
G = [7.9932, 3.4998, 1.6883, 0.6644, 0.3756, 0.09 ];
R = [-1.5331, 1.0942, 3.9722, 7.7021, 10.2488, 15.9784];
for i = 1:6
    P_loss = exp(-(i)*log(10));
    for k = 0:3
        N_max = k;
        P_target = P_loss^( 1/(N_max +1) );
        Results = [P_loss,N_max,P_target];
        for Mode=1:6
            a = A(Mode);
            g = G(Mode);
            r = exp(0.1*R(Mode));
            step = 1;
            Flag = 0;
            n = 0;
            while(Flag < 1)
                n = n + 1;
                ave_SNR = r + n*step;
                y = 1-exp(-r/ave_SNR) + a*exp(-(g+1/ave_SNR)*r)/(1+ave_SNR*g);
                if(y <= P_target)
                    Flag = 1;
                    value = 10*log10(ave_SNR);
                end
            end
            Results = [Results, value];
        end
        format short g
        Results
    end
end
end

```