

Merge Sort:

Divide and Conquer Method:

- 1.) \_\_\_\_\_ the problem in smaller problems
- 2.) \_\_\_\_\_ these problems
- 3.) \_\_\_\_\_ the answers

How does it relate to Merge Sort?

Merge Sort:

- 1.) \_\_\_\_\_ the problems into 2 halves
- 2.) \_\_\_\_\_ each half
- 3.) \_\_\_\_\_ the sorted halves

Ex:

Array: \_\_\_\_\_

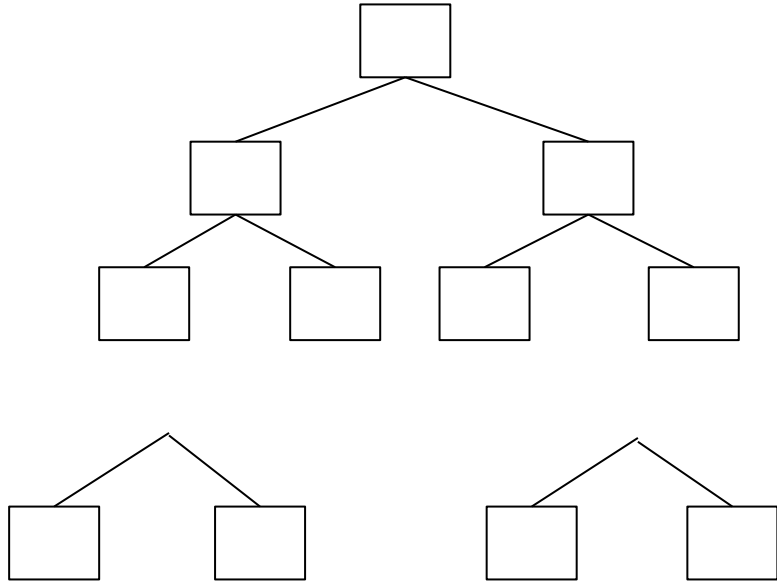
Iterations:									
1									
2									
3									
4									
5									
6									
7									
8									

Code:

TC:

- 
- 
- 

Recurrence Formula and Recursion Tree:



Level	Arg/Problem Size	Nodes per Level	1 Node TC	Level TC

SC:

Stable? \_\_\_\_\_ Adaptive? \_\_\_\_\_

Usable Data Types:

Variations:

```

int binary_search(int A[], int left, int right, int v){
    int m = left+(right-left)/2;
    if (left > right) return -1;
    if (v == A[m]) return m;
    if (v < A[m])
        return binary_search(A, left, m-1, v);
    else
        return binary_search(A, m+1, right, v);
}

```

```

Merge_sort(A, le, r) //N = ri-le+1
    if (le>=ri) return
    else
        m = floor(le+(ri-le)/2)
        Merge_sort(A, le, m);
        Merge_sort(A, m+1, ri);
        Merge(A, le, m, ri);

```

```

Merge(A, le, m, ri)
1  n1=m-le+1+1 // +1 for inf
2  n2=ri-m+1 // +1 for inf
3  let L[n1], R[n2] be arrays
4  for j=0 to n1-2
5      L[j]=A[le+j]
6  for j=0 to n2-2
7      R[j]=A[m+1+j]
8  L[n1] = inf
9  R[n2] = inf
10 j=0,
11 i=0
12 for k=le to ri
13     if L[i] ≤ R[i]
14         A[k]=L[i]
15         i++
16     else
17         A[k] = R[j]
18         j++

```

```

// pseudocode
// - indentation => instruction group in {}
// - loops:
//     for k=le to ri
//     for(k=le; k<=ri; k++)

```