

CSE-4303 CSE5365 Computer Graphics Practice Problems 04

Assuming a right-handed 3-d coordinate system, solve the following problems.

The viewing parameters for a perspective projection are given as

$$\text{VRP}(\text{WC}) = (1, 5, 7)$$

$$\text{VPN}(\text{WC}) = (2, 5, 8)$$

$$\text{VUP}(\text{WC}) = (3, -2, 6)$$

$$\text{PRP}(\text{VRC}) = (-2, 4, -20)$$

$$u_{\min}(\text{VRC}) = 10$$

$$u_{\max}(\text{VRC}) = 18$$

$$v_{\min}(\text{VRC}) = -10$$

$$v_{\max}(\text{VRC}) = -2$$

$$n_{\min}(\text{VRC}) = -5$$

$$n_{\max}(\text{VRC}) = 80$$

Find the sequence of transformations which will transform this viewing volume into a standard perspective view volume which is bounded by the planes: $x=z$; $x=-z$; $y=z$; $y=-z$; $z=1$; $z=z_{\min}$

- Find the **sequence of matrices**
- Find the **z_{\min}** after all transformations are done.

Matrix #2: Rx

Matrix #4: Rz

Matrix #6: Shear

Scale2

Matrix #1: Translate

Matrix #3: Ry

Matrix #5: Translate

Scale1

Zmin =

CSE-4303 CSE5365 Computer Graphics Practice Problems 04

Point **A(-5, 50)** is given in a two dimensional world coordinate system. Find the coordinates of the point A on the screen after it is mapped from window to viewport.

$$x_{wmin} = -10 \quad y_{wmin} = 20 \quad x_{wmax} = -2 \quad y_{wmax} = 120$$

Normalized device coordinate of the viewport:

$$x_{vmin} = 0.2 \quad y_{vmin} = 0.25 \quad x_{vmax} = 0.6 \quad y_{vmax} = 0.8$$

The origin of the screen coordinate system is defined in the **upper left** corner of the screen and the screen resolution is 800 by 600.

Use rounding to convert from float to integer.

Find the parametric equation of a line in a 3-dimensional Cartesian coordinate system which is passing through points $A(2, 5, -4)$ and point $B(-3, 10, 1)$

**CSE-4303 CSE5365 Computer Graphics
Practice Problems 04**

Given points **A(9.8, -6.9, 6.2)** and **B(-10.2, 7.1, -5.8)**

Clip line AB against the standard perspective volume. Assume $z_{\min} = 0.2$

Clip line AB against the standard parallel volume (Unit cube).

Equation of line AB

CSE-4303 CSE5365 Computer Graphics Practice Problems 04

The viewing parameters for a parallel projection are given as:

$$\begin{aligned} \text{VRP(WC)} &= (2, 5, 1) & \text{VPN(WC)} &= (8, 6, 10) \\ \text{VUP(WC)} &= (5, 9, 2) & \text{PRP (VRC)} &= (3, 6, -10) \end{aligned}$$

$$\begin{aligned} u_{\min}(\text{VRC}) &= -8 & u_{\max}(\text{VRC}) &= -3 \\ v_{\min}(\text{VRC}) &= -2 & v_{\max}(\text{VRC}) &= 8 \\ n_{\min}(\text{VRC}) &= 2 & n_{\max}(\text{VRC}) &= 12 \end{aligned}$$

Find the sequence of transformations which will transform this viewing volume into a unit cube which is bounded by the planes: $x=0$; $x=1$; $y=0$; $y=1$; $z=0$; $z=1$

Matrix #2: Rx

Matrix #1: Translate

Matrix #4: Rz

Matrix #3: Ry

Matrix #6: Translate

Matrix #5: Shear

Matrix #7: Scale

**CSE-4303 CSE5365 Computer Graphics
Practice Problems 04**