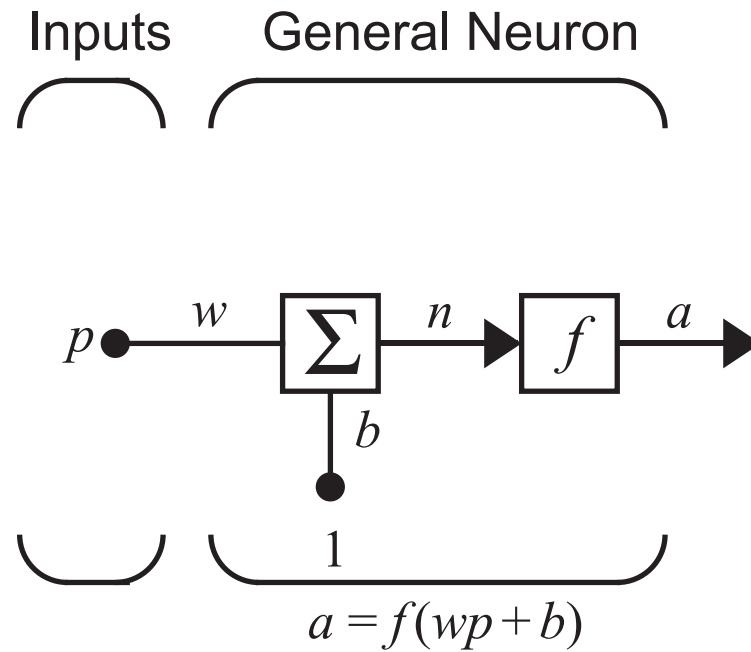
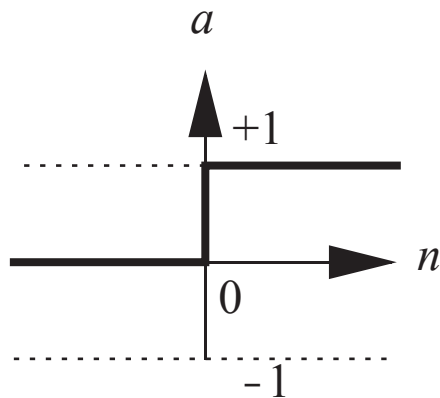




Neuron Model and Network Architectures

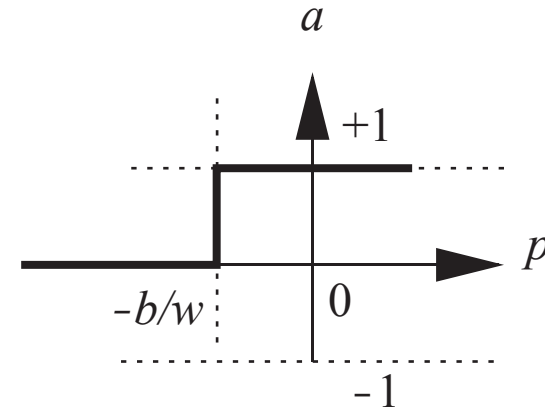
Single-Input Neuron





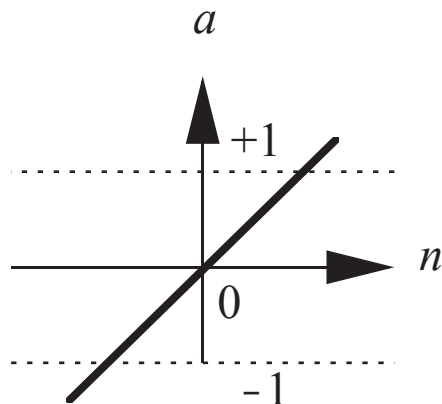
$$a = \text{hardlim}(n)$$

Hard Limit Transfer Function



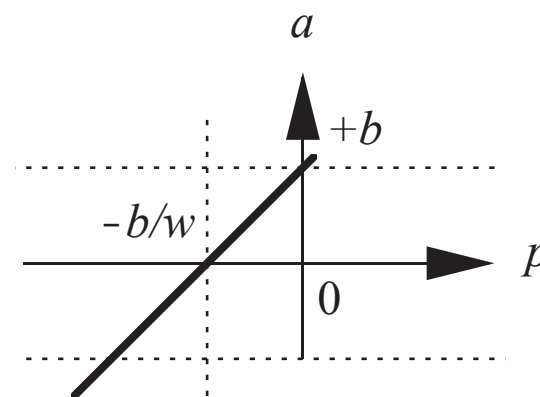
$$a = \text{hardlim}(wp + b)$$

Single-Input *hardlim* Neuron



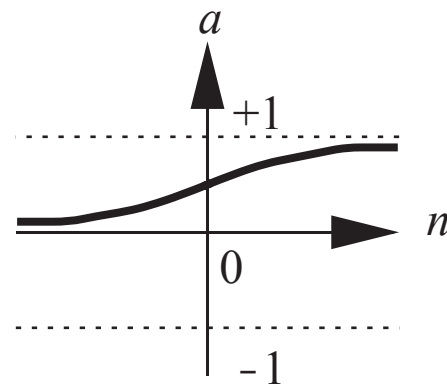
$$a = \text{purelin}(n)$$

Linear Transfer Function



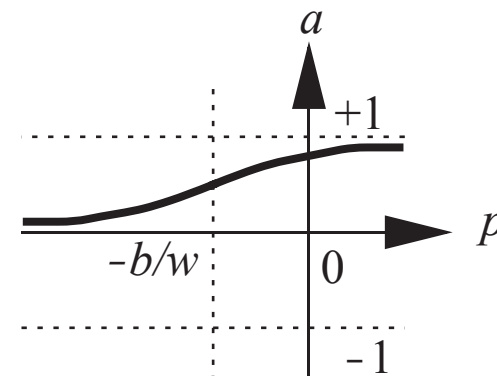
$$a = \text{purelin}(wp + b)$$

Single-Input *purelin* Neuron



$$a = \text{logsig}(n)$$

Log-Sigmoid Transfer Function



$$a = \text{logsig}(wp + b)$$

Single-Input *logsig* Neuron










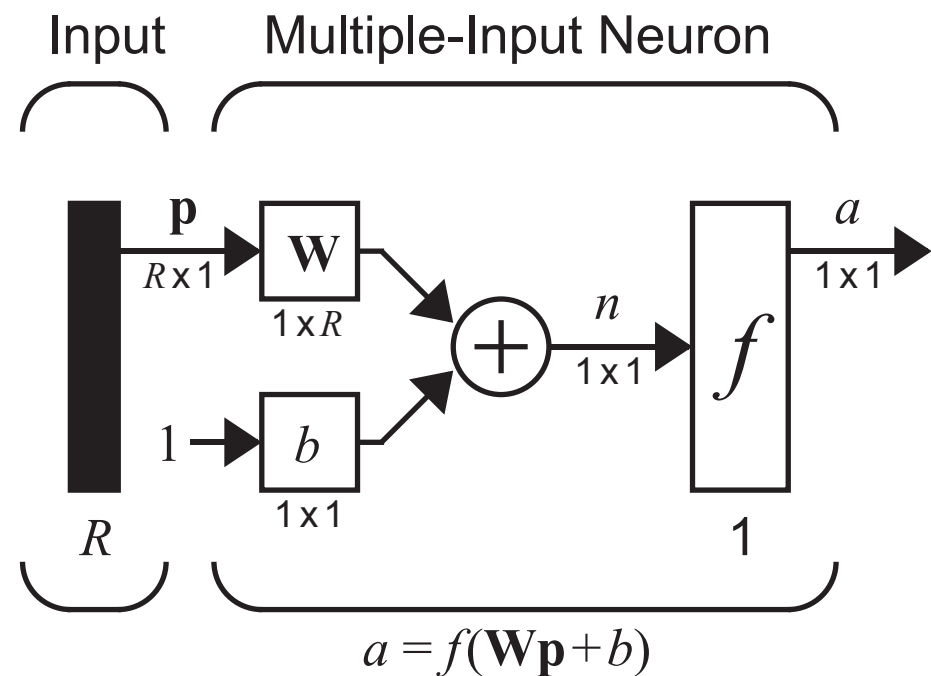
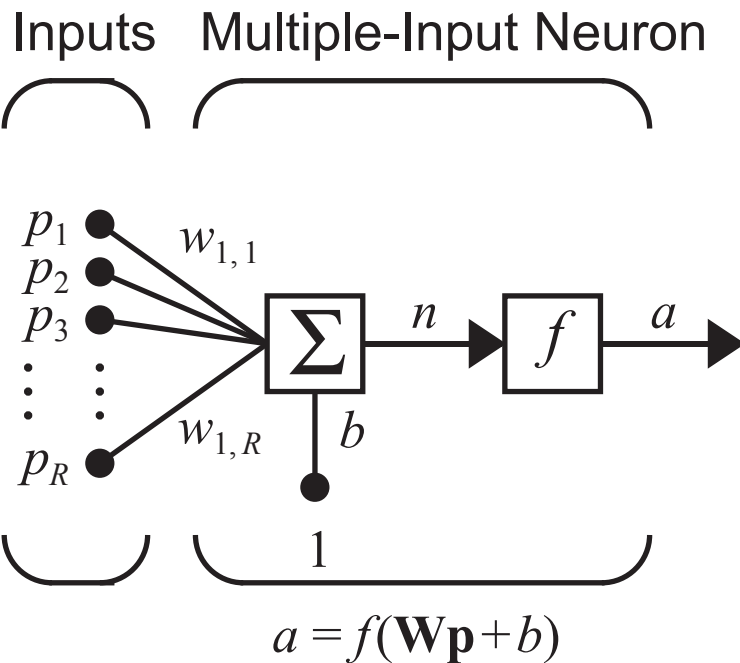
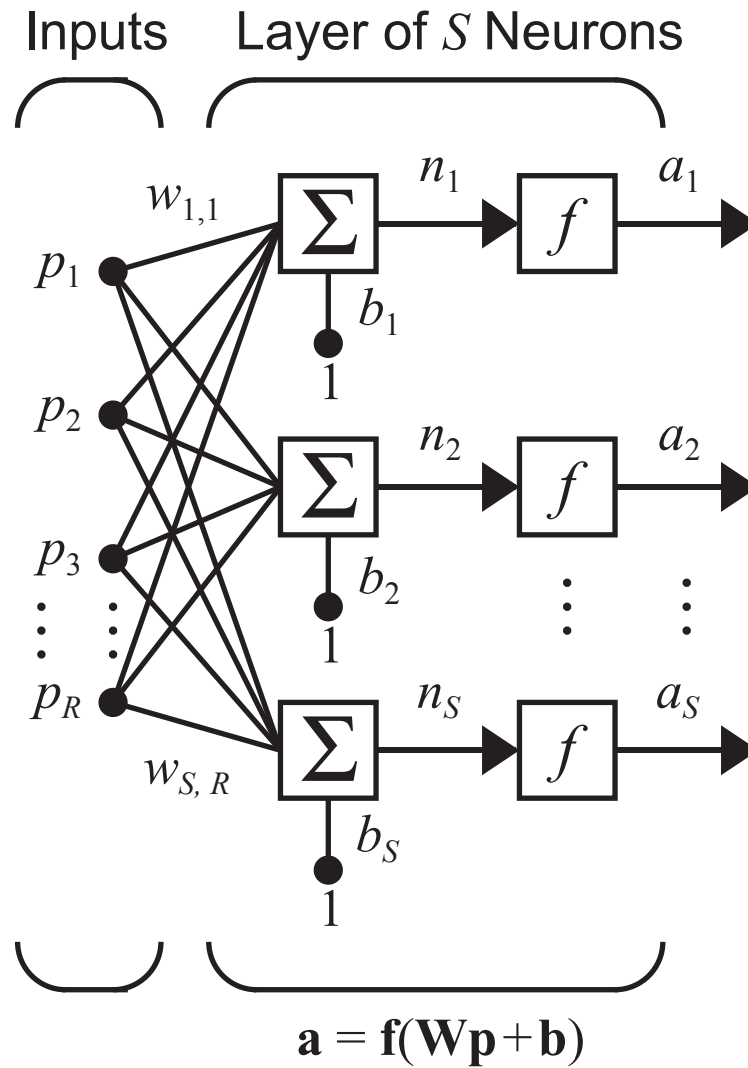
Name	Input/Output Relation	Icon	MATLAB Function
Hard Limit	$a = 0 \quad n < 0$ $a = 1 \quad n \geq 0$		hardlim
Symmetrical Hard Limit	$a = -1 \quad n < 0$ $a = +1 \quad n \geq 0$		hardlims
Linear	$a = n$		purelin
Saturating Linear	$a = 0 \quad n < 0$ $a = n \quad 0 \leq n \leq 1$ $a = 1 \quad n > 1$		satlin
Symmetric Saturating Linear	$a = -1 \quad n < -1$ $a = n \quad -1 \leq n \leq 1$ $a = 1 \quad n > 1$		satlins
Log-Sigmoid	$a = \frac{1}{1 + e^{-n}}$		logsig
Hyperbolic Tangent Sigmoid	$a = \frac{e^n - e^{-n}}{e^n + e^{-n}}$		tansig
Positive Linear	$a = 0 \quad n < 0$ $a = n \quad 0 \leq n$		poslin
Competitive	$a = 1 \quad \text{neuron with max } n$ $a = 0 \quad \text{all other neurons}$		compet

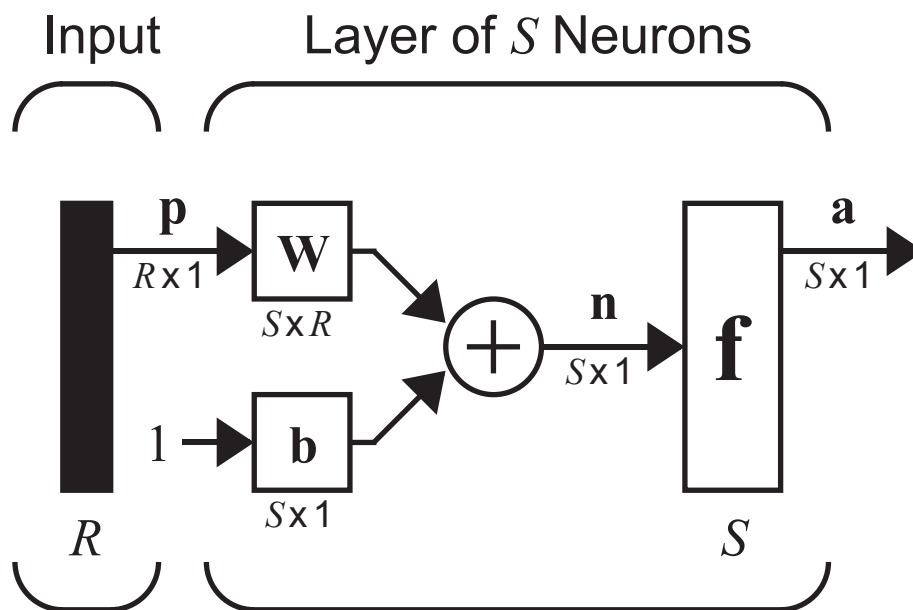
Table 2.1 Transfer Functions



Abbreviated Notation

Layer of Neurons

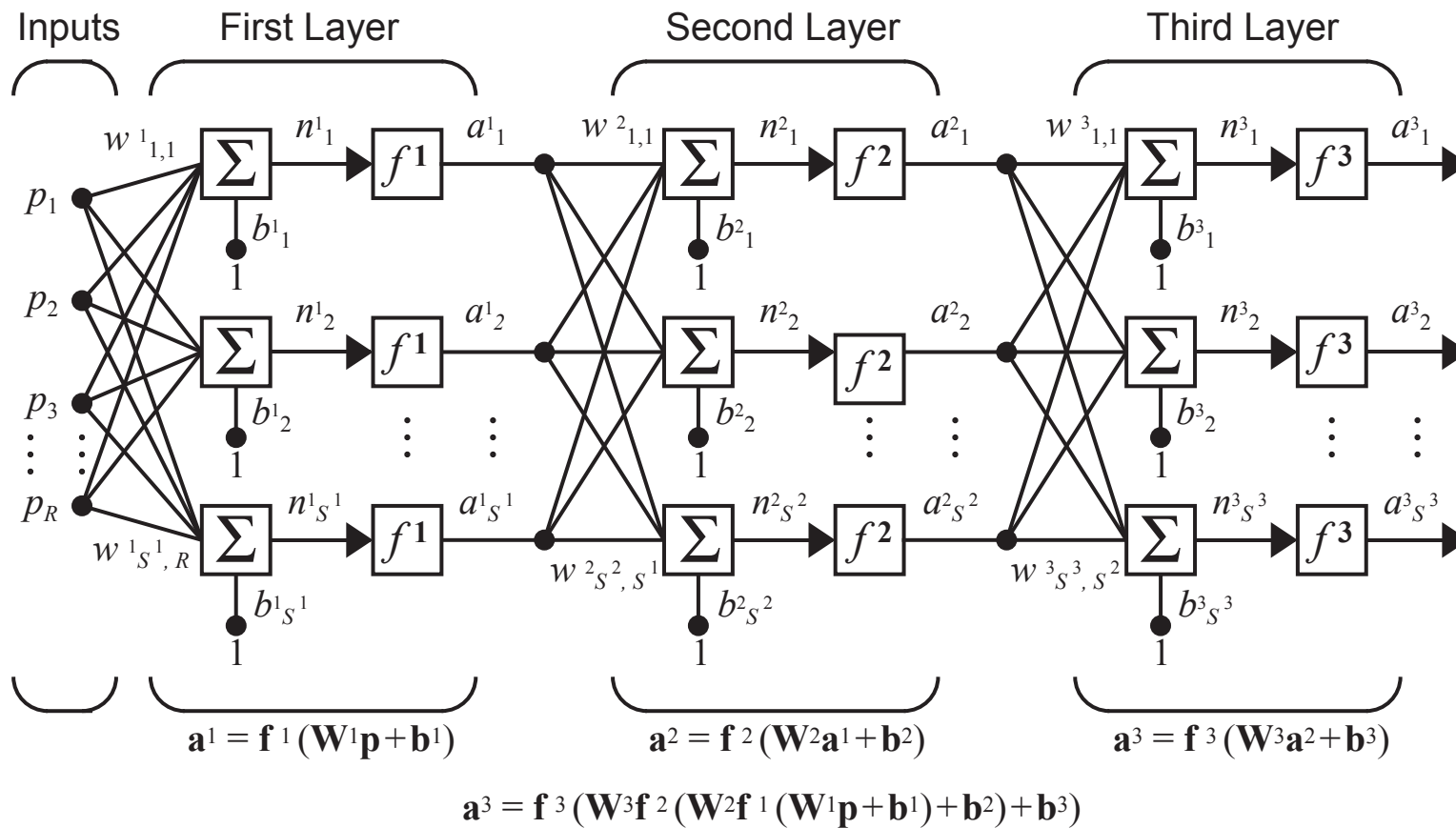


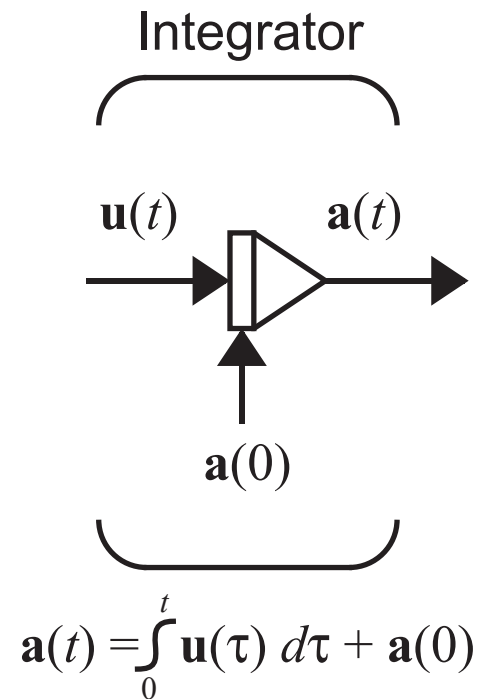
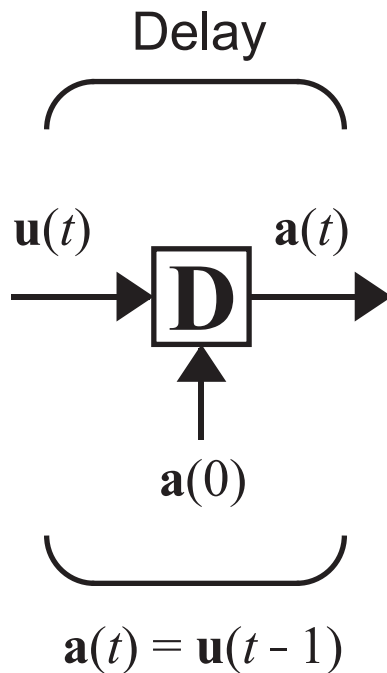


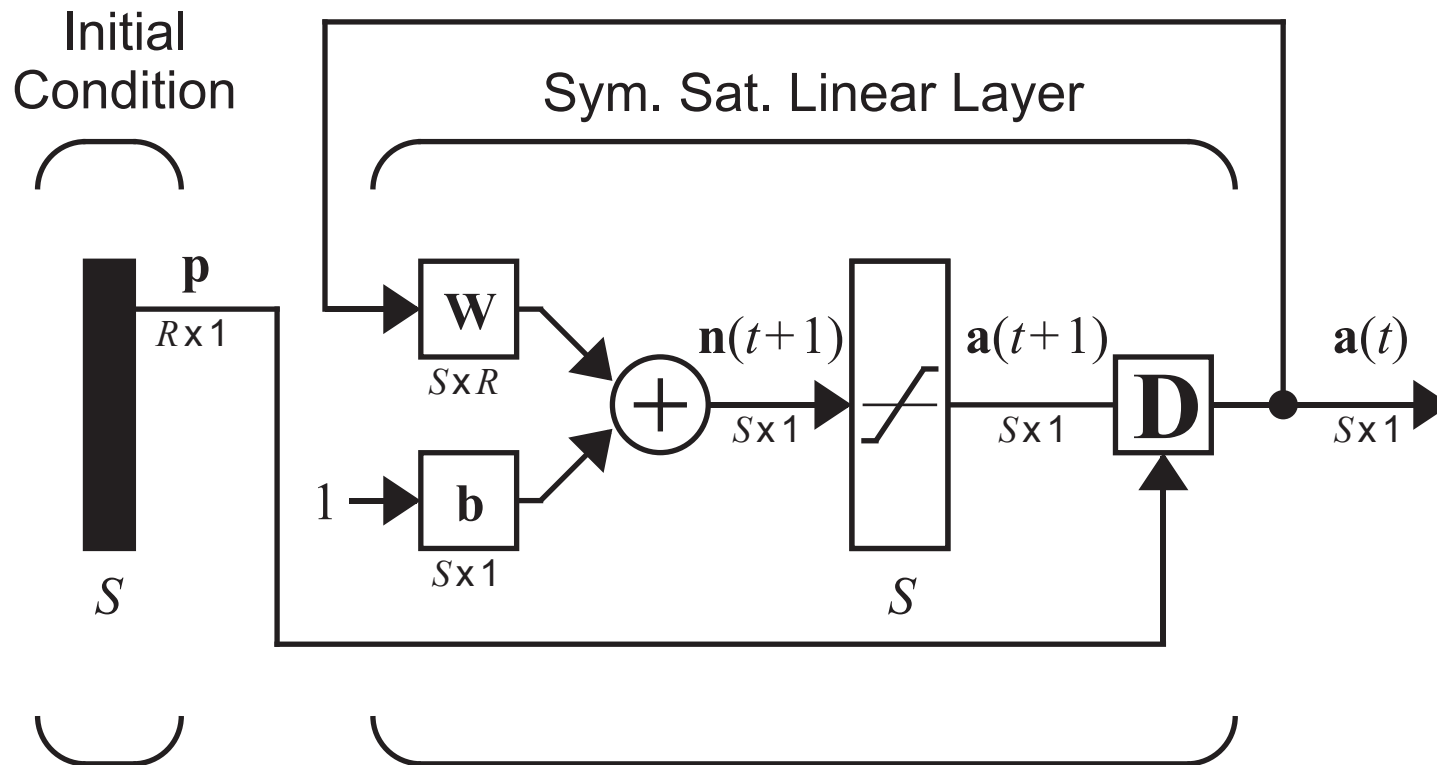
$$\mathbf{a} = \mathbf{f}(\mathbf{W}\mathbf{p} + \mathbf{b})$$

$$\mathbf{W} = \begin{bmatrix} w_{1,1} & w_{1,2} & \cdots & w_{1,R} \\ w_{2,1} & w_{2,2} & \cdots & w_{2,R} \\ \vdots & \vdots & & \vdots \\ w_{S,1} & w_{S,2} & \cdots & w_{S,R} \end{bmatrix}$$

$$\mathbf{p} = \begin{bmatrix} p_1 \\ p_2 \\ \vdots \\ p_R \end{bmatrix} \quad \mathbf{b} = \begin{bmatrix} b_1 \\ b_2 \\ \vdots \\ b_S \end{bmatrix} \quad \mathbf{a} = \begin{bmatrix} a_1 \\ a_2 \\ \vdots \\ a_S \end{bmatrix}$$







$$\mathbf{a}(0) = \mathbf{p} \quad \mathbf{a}(t+1) = \text{satlin}(\mathbf{W}\mathbf{a}(t) + \mathbf{b})$$

$$\mathbf{a}(1) = \text{satlins}(\mathbf{W}\mathbf{a}(0) + \mathbf{b}) = \text{satlins}(\mathbf{W}\mathbf{p} + \mathbf{b})$$

$$\mathbf{a}(2) = \text{satlins}(\mathbf{W}\mathbf{a}(1) + \mathbf{b})$$